

2. Call out or sing the scale degree names contained in each example that follows.

C:

G:

d:

## Intervals

An **interval** is the measurement of the distance in pitch between two notes. A **harmonic interval** results when the notes are performed at the same time, whereas a **melodic interval** occurs when the notes are played successively (Ex. 1-18). The method of measuring intervals is the same for both harmonic and melodic intervals.

### Example 1-18

Harmonic intervals      Melodic intervals

There are two parts to any interval name: the numerical name and the modifier that precedes the numerical name. As Example 1-19 illustrates, the numerical name is a measurement of how far apart the notes are vertically on the staff, regardless of what accidentals are involved.

### Example 1-19

1    2    3    3    3    3    4 (etc.)

In talking about intervals, we use the terms **unison** instead of 1, and **octave** (8ve) instead of 8. We also say 2nd instead of “two,” 3rd instead of “three,” and so on. Intervals smaller than an 8ve are called **simple intervals**, whereas larger intervals (including the 8ve) are called **compound intervals**.

It is important to notice in Example 1-19 that the harmonic interval of a 2nd is notated with the top note offset a little to the right of the bottom note. Accidentals are offset in the same way for harmonic intervals of a 2nd, 3rd, or 4th, if both notes require an accidental.

## Self-Test 1-4

(Answers begin on page 555.)

Provide the numerical names of the intervals by using the numbers 1 through 8.

1    2    3    4    5    6    7    8    9    10    11    12    13    14    15

Exercise 1-4 See Workbook.

## Perfect, Major, and Minor Intervals

One way to begin learning the modifiers for intervals is by relating them to the intervals contained in the major scale, specifically the intervals from  $\hat{1}$  up to the other scale degrees. This method can then be applied in any context, whether or not the major scale is actually being used.

The term **perfect** (abbreviated P) is a modifier used only in connection with unisons, 4ths, 5ths, 8ves, and their compounds (11ths, and so on). As Example 1-20 illustrates, a P1, P4, P5, and P8 can all be constructed by using  $\hat{1}$  in the major scale as the *bottom* note.

### Example 1-20

$\hat{1}$  -  $\hat{1}$      $\hat{1}$  -  $\hat{4}$      $\hat{1}$  -  $\hat{5}$      $\hat{1}$  -  $\hat{1}$

P1      P4      P5      P8

If we want to spell one of these intervals above E<sub>b</sub>, for example, we need only to think of scale steps  $\hat{1}$ ,  $\hat{4}$ , and  $\hat{5}$  of the E<sub>b</sub> major scale. If the bottom note does not commonly serve as  $\hat{1}$  of a major scale (such as D $\sharp$ ), remove the accidental temporarily, spell the interval, and then apply the accidental to both notes (Ex. 1-21).

Example 1-21

P5 above  
D $\sharp$  = ?

P5 above  
D $\flat$  = A $\flat$

P5 above  
D $\sharp$  = A $\sharp$

The modifiers **major** and **minor** (abbreviated as M and m) are used only in connection with 2nds, 3rds, 6ths, and 7ths. The intervals formed by  $\hat{1}-\hat{2}$ ,  $\hat{1}-\hat{3}$ ,  $\hat{1}-\hat{6}$ , and  $\hat{1}-\hat{7}$  in the major scale are all major intervals, as Example 1-22 illustrates.

Example 1-22

$\hat{1} - \hat{2}$     $\hat{1} - \hat{3}$     $\hat{1} - \hat{6}$     $\hat{1} - \hat{7}$

M2   M3   M6   M7

If a major interval is made a half step smaller without altering its numerical name, it becomes a minor interval (Ex. 1-23). Notice that you can make an interval smaller by lowering the top note or raising the bottom note.

Example 1-23

M2   m2   M3   m3   M6   m6   M7   m7

Self-Test 1-5

(Answers begin on page 555.)

A. All the intervals that follow are unisons, 4ths, 5ths, or 8ves. Put "P" in the space provided *only* if the interval is a perfect interval.

1 5   2 4   3 1   4 5   5 8   6 4   7 5   8 4   9 5   10 8

B. All the intervals that follow are 2nds, 3rds, 6ths, or 7ths. Write "M" or "m" in each space, as appropriate.

1 3   2 6   3 7   4 2   5 6   6 2   7 3   8 7   9 6   10 2

C. Notate the specified intervals above the given notes.

m2   P4   M6   m3   P5   m6   P8   M2   M7   P4

11   12   13   14   15   16   17   18   19   20

Exercise 1-5 See Workbook.

Augmented and Diminished Intervals

If a perfect or a major interval is made a half step larger without changing the numerical name, the interval becomes **augmented** (abbreviated +). If a perfect or a minor interval is made a half step smaller without changing its numerical name, it becomes **diminished** (abbreviated °). These relationships are summarized as follows:

